





### Mechanics and mechanobiology of the wall of the thoracic aorta

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INSPIRING INNOVATION





a local dilation of the aorta due to aortic wall weakening









ascending normal aorta aneurysm

aortic descendin arch aorta aneurysm aneurysm abdominal aorta aneurysm

Various aortic aneurysms



#### SOCIETAL AND MEDICAL ISSUES





Thoracic aortic aneurysms per year: 15000 people in the US, +30000 people in Europe with a male preponderance. 50-60% involves the ascending aorta.



#### How can we predict the aneurysm's rupture?





Romo et al. Journal of Biomechanics - 2014.







I) Aneurysm excised specimen.



**Circumferential** 

II) Media and Adventitia.

Axial

Adventitia & Media

#### **Full-field measurements**



#### Undeformed











#### **Local stress reconstruction**





 $div(\boldsymbol{\sigma}) + f = 0$ 

 $[A] \cdot [\boldsymbol{\sigma}] = [B]$ 



#### Local analysis of rupture

### Local thickness evolution (mm)



## Rupture picture and area of interest



Mesh





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A. Romo, S. Avril, P. Badel, A Duprey, J.P. Favre. In vitro analysis of localized aneurism rupture. Journal of Biomechanics -2014, vol 47, N°3, pp 607-616.

#### Local damage initiation



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#### Rupture modes





#### Ultimate stress values



 $\sigma^{Rup} = (\sigma \cdot \overrightarrow{q_{\theta}}) \cdot \overrightarrow{q_{\theta}}$ 



# Fit a strain energy density function at every point

Strain energy function:

$$w = \frac{\mu_1}{2} \left( I_1 - \ln \left( I_2 \right) - 2 \right) + \frac{\mu_2}{4\gamma} \left( e^{\gamma \left( I_k - 1 \right)^2} - 1 \right)$$





# Identification of a hyperelastic constitutive model

Davis et al. Biomechanics and Modeling in Mechanobiology - 2015.









Fig. 5 Distribution of the identified material parameters over the ATAA. a  $\mu_1$  (N/mm). b  $\mu_2$  (N/mm). c  $\gamma$ . d  $\kappa$ . e  $\theta$  (°)







Fig. 6 Comparison of the geometry constructed from the DIC point clouds (*blue*) and those predicted from the forward finite element analysis using the pointwise material properties (*yellow*) at a 15 kPa, b 30

kPa, c 75 kPa, and d 117 kPa. Note that the geometry is almost a perfect match leading the *blue* and *yellow lines* to overlap



#### **Application to computational retrospective** predictions Trabelsi et al. Journal of Biomechanics - 2015.

#### Image acquisition and 3D reconstruction

5 patients: Dynamic preoperative scanners during cardiac cycle ( $\sim 0.92$  s) = 10 phases. CT: (resolution 512x512, slice thickness of 0.5 mm)



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#### Identification of hyperelastic parameters by calibrating the volume changes

Trabelsi et al. Journal of Biomechanics - 2015.



Patient 1: Variation between predicted and CT systolic and mid-cycle volumes (mm3)

D2

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#### **Stress analysis and rupture risk estimation**





# Future work: predicting and stopping aneurism growth



#### **MECHANOBIOLOGY OF THE THORACIC AORTA**



#### PATIENTS WITH ATAA HAVE A DISORGANIZED MEDIA WITH FRAGMENTED ELASTIN AND PRESENCE OF VACUOLES







#### FUNDAMENTAL STUDY USING A MOUSE « MODEL »















#### classical





#### panoramic







#### **PANORAMIC DIGITAL IMAGE CORRELATION**











#### **CONSTITUTIVE MODEL**





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#### **PARAMETERS TO BE IDENTIFIED**

Strain energy functions:

$$W = \phi^{\mathsf{e}} W^{\mathsf{e}}(\mathbf{F}^{\mathsf{e}}) + \phi^{\mathsf{m}} W^{\mathsf{m}}(\lambda^{\mathsf{m}}) + \sum_{j=1}^{4} \phi^{\mathsf{c}_{j}} W^{\mathsf{c}_{j}}(\lambda^{\mathsf{c}_{j}})$$

$$W^{\mathrm{e}}(\mathrm{F}^{\mathrm{e}}) = \frac{c^{\mathrm{e}}}{2} \left[ \mathrm{tr}\left( (\mathrm{F}^{\mathrm{e}})^{\mathrm{T}} \mathrm{F}^{\mathrm{e}} \right) - 3 \right]$$

$$W^{\rm m}(\lambda^{\rm m}) = \frac{c_2^{\rm m}}{4c_3^{\rm m}} \left[ e^{c_3^{\rm m} \left( (\lambda^{\rm m})^2 - 1 \right)^2} - 1 \right]$$

$$W^{c}(\lambda^{c_{j}}) = \frac{c_{2}^{c}}{4c_{3}^{c}} \left[ e^{c_{3}^{c} \left( (\lambda^{c_{j}})^{2} - 1 \right)^{2}} - 1 \right]$$











#### **EXAMPLE DE RESULTS**



















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### **CONCLUSIONS - PERSPECTIVES**



We can now begin to establish a correlation between regional mechanical properties and the underlying biological expression in murine models of aneurysms.





#### ACKNOWLEDGEMENT









