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HOST 2013



Frontside Laser Fault Injection on Cryptosystems -Application to the AES's last round-

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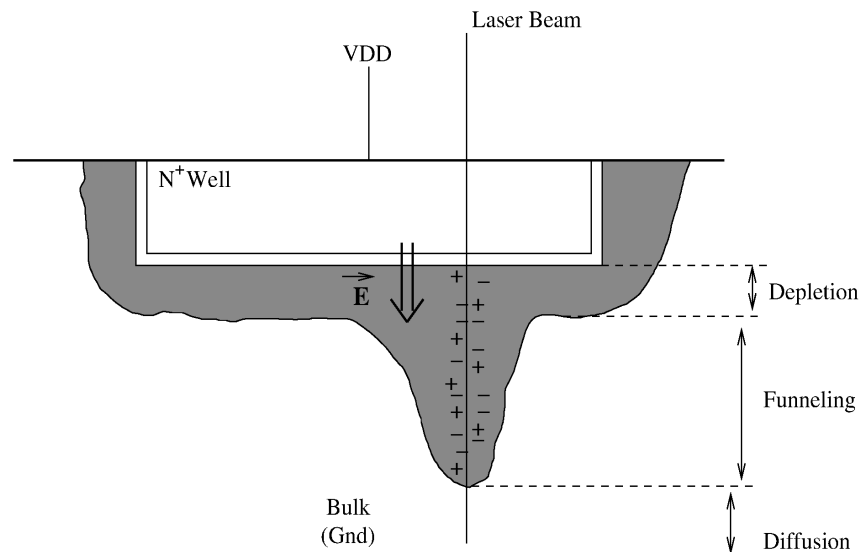


- **Introduction**
 - Laser effect on ICs
 - Sensitivity zones
 - Fault injection mechanism
- **Experimental Setup**
- **Analysis of fault injection**
- **Performing DFA on experimental data**
 - Giraud's DFA
 - Roche et al. DFA
 - Simplification of existing DFA
- **Conclusion**



Laser effect on ICs

- Creation of electron-hole pair along the laser beam due to the photoelectric effect
- Stretch the electric field
- Creation of a transient current
- Possible SEE on PN junction
 - Source and drain of transistors

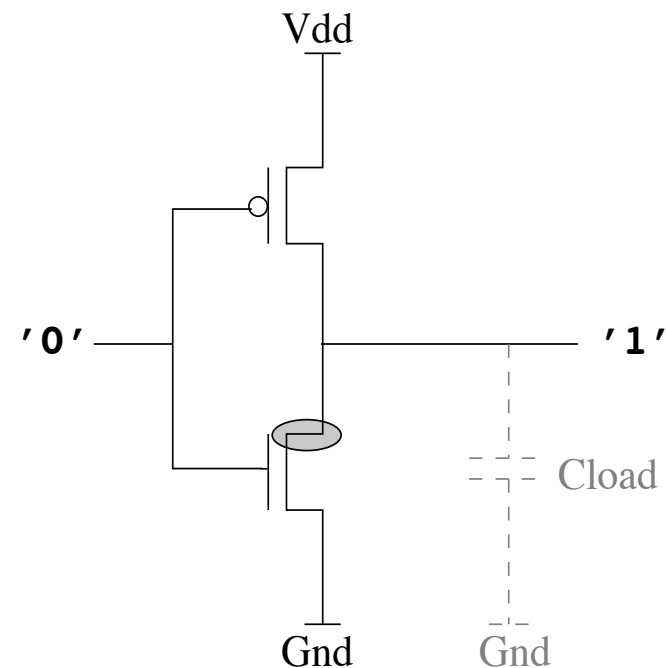




Sensitivity zones

- Inverter's case:
 - 1st Case (output = '1')
 - PMOS ON
 - NMOS OFF
 - Only a strike on drain of NMOS will discharge the load and change the output state

The sensitivity zone is the drain of the OFF NMOS transistors

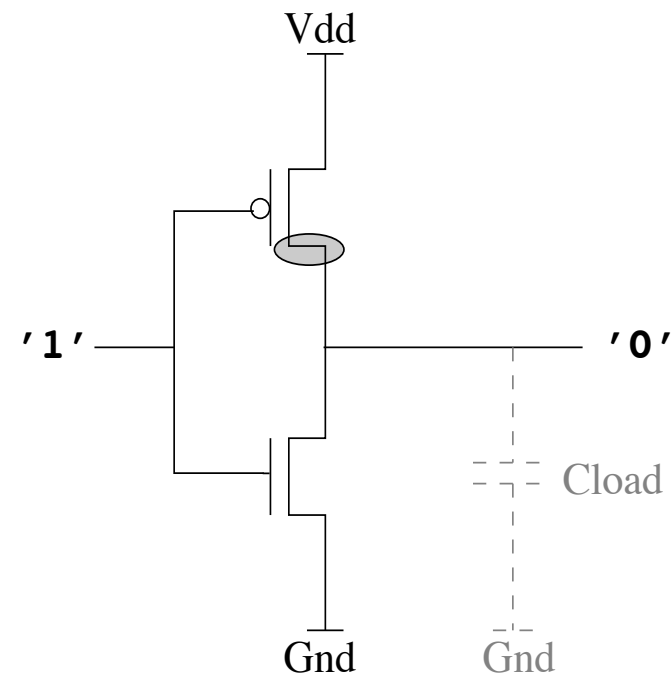




Sensitivity zones

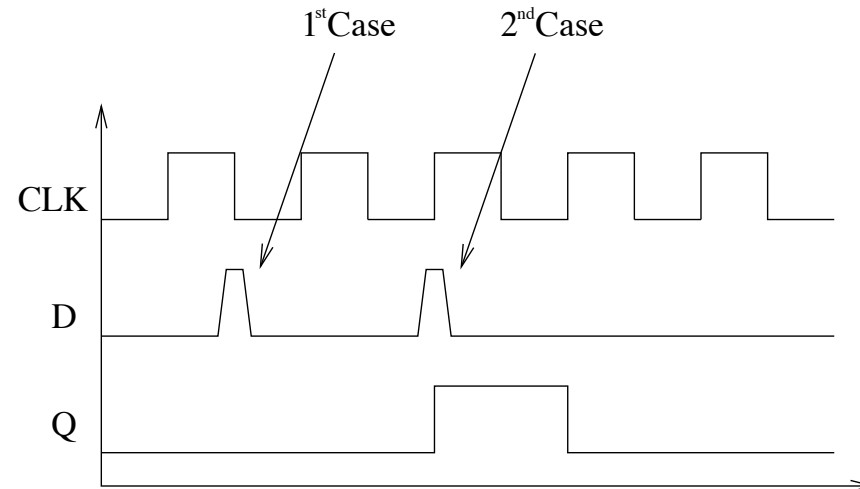
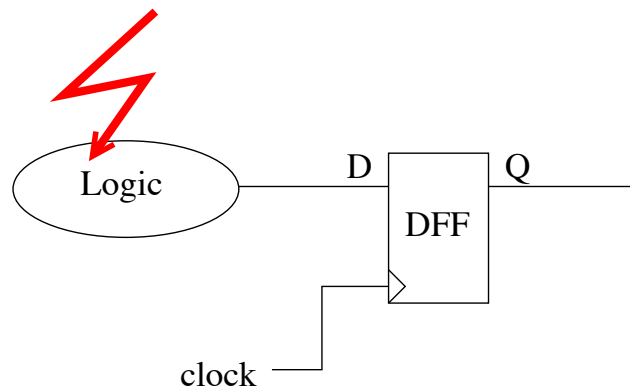
- Inverter's case:
 - 2st Case (output = '0')
 - PMOS OFF
 - NMOS ON
 - Only a strike on drain of PMOS will charge the load and change the output state

The sensitivity zone is the drain of the OFF PMOS transistors





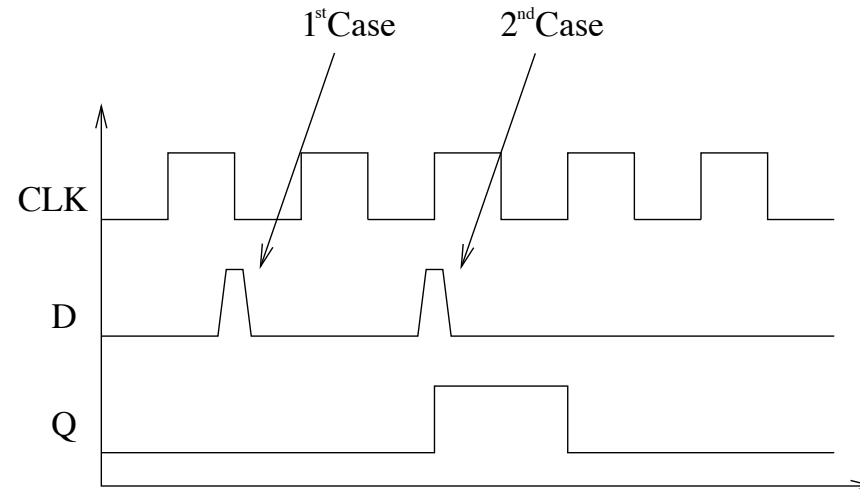
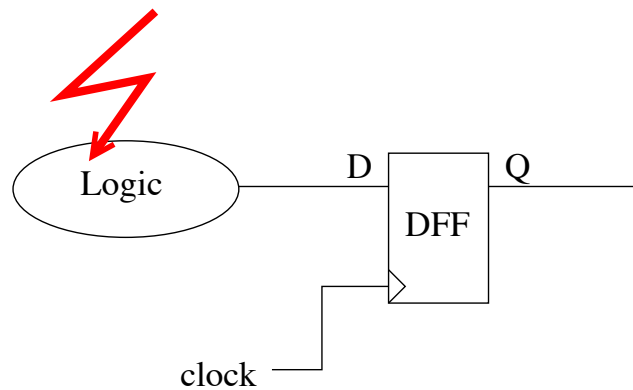
Fault injection mechanism



- SET reaches the DFF's input outside the latching window
 - No effect on the DFF's output
 - No fault on the computational results



Fault injection mechanism

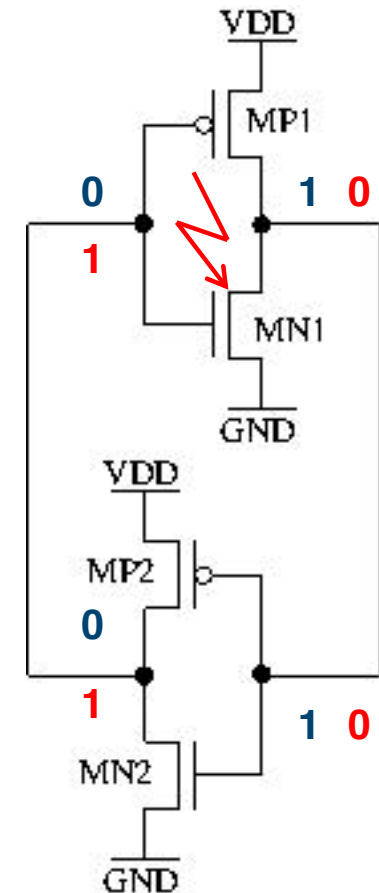


- SET reaches the DFF's input inside the latching window
 - DFF's output is changed
 - A fault occurred on the computational results



Fault injection mechanism

- SET reaches the DFF itself or an SRAM
 - Memory constructed with cross-coupled inverter
 - The SET will propagate through the inverters
 - The memorized data is inverted
 - **A fault is injected**





Laser Fault model

- Laser spot strike one sensitive area
 - Fault data-dependent
 - Bit-Set/Bit-Reset fault model
 - Allow to mount safe error attacks
- Questionable with advanced CMOS IC
 - Smallest laser spot of $1\mu\text{m}$
 - Several transistors reaches by the spot
 - Impact of metal layers



Laser Fault model

- Possible Bit-flip
- Most of injection on rear side with small spot
 - Time consuming
 - Chip preparation
- Front side
 - Easy
 - But not consistent with bit-set/reset
- **Investigation of fault type in front side with large spot**

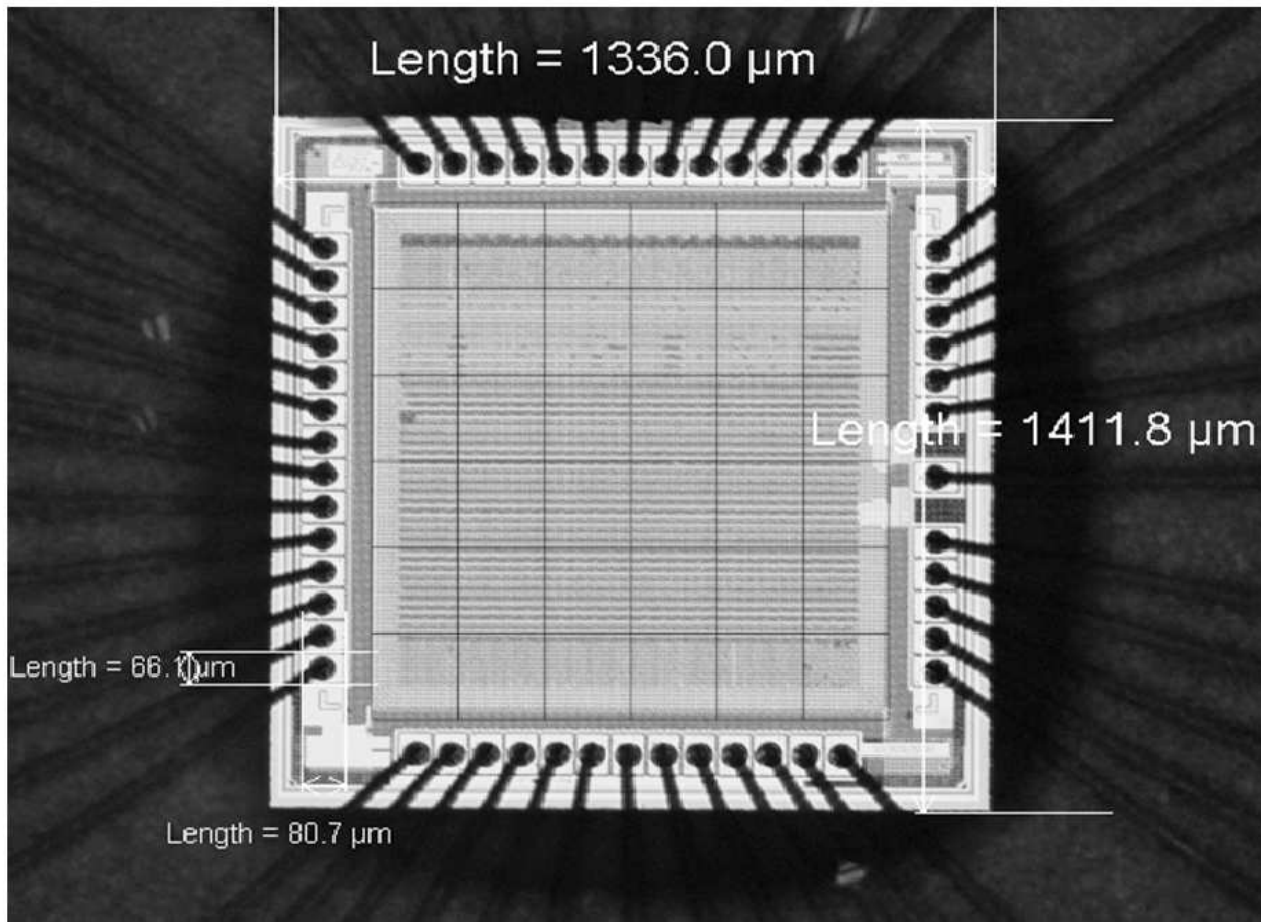


Laser test bench

- Front side fault injection
- Wavelength of 532nm
- Laser pulse of 5ns
- Square laser spot of $125\mu\text{m} \times 125\mu\text{m}$
- Energy density of $17\text{pJ}/\mu\text{m}^2$
- Laser shoot synchronized with *AES* encryption
 - Jitter of 5ns
 - Laser shoot during the last round of the *AES*



Target device





Fault injection on *AES*' last round

- Surface of the chip divided on 36 positions
- 10,000 encryptions for each position
- Same key used for all encryption

- Comparison between faulted and correct cipher text
- Fault value recovered by reversing the faulted encryption(the key was known)



Fault injection on AES' last round

byte #	Error injection rate	Single-bit error rate	Most common fault rate
0	4.8%	79%	74%
1	3.2%	100%	99%
2	3.1%	98%	92%
3	67.8%	49%	48%
4	9.4%	99.7%	90%
5	2.1%	79%	58%
6	0.5%	100%	99%
7	4.6%	65%	64%
8	23%	64%	42%
9	7.2%	91%	80%
10	4.3%	99%	98%
11	15.,5%	97%	97%
12	12.2%	98%	96%
13	3.1%	87%	55%
14	0.2%	100%	100%
15	7%	99.2%	99%



Fault injection on *AES*' last round

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6	0.5%	100%	99%
7	4.6%	65%	64%
8	23%	64%	42%
9	7.2%	91%	80%
10	4.3%	99%	98%
11	15.5%	97%	97%
12	12	• Low Injection rate	96%
13	3		55%
14	0	• High repetitively rate	100%
15	7		99%



Fault injection on *AES*' last round

- 1,000 encryption on byte #5

Faults occurrence rate	Occurrence rate of fault '0x80'	Occurrence rate of other faults
7.1%	94%	6%

- Single bit fault of 0x80
- Faulted bit : "0" → "1"
- Bit-Set fault type
- If only Bit-Set fault is considered
 - From 7.4% to 14.2% occurrence rate



Fault injection on *AES*' last round

- 1,000 encryption on byte #5 with chosen plain text

Faults occurrence rate	Occurrence rate of fault '0x80'	Occurrence rate of other faults
16.8%	97%	3%

- Timing constraint
 - Clock period of 40 ns
 - Jitter of 5 ns
- **Bit-set fault model relevant**



Fault injection on *AES*' last round

- Analysis on byte #3
 - 34.2% fault occurrence on bit N° 2
 - 66% fault occurrence on bit N° 1
 - Bit N° 2 only impacted by Bit-Set fault type
 - Bit N° 1 impacted by Bit-flip fault type

Fault value <i>b₇...b₄ b₃b₂b₁b₀</i>	# of occurrence
0000 0110	3285
0000 0010	3228
0000 1110	93
0000 1000	70
0000 0100	51
0000 0001	40
0000 1001	13
0000 0011	4

- **Some faulted bits are data-dependant**



Fault injection on *AES*' last round

- Bit-set/reset and Bit-flip fault model are relevant with large spot size and front side laser fault injection
- Metal fills act as shutter on laser beam
 - Hides some sensitive area
- Low injection rate but high repetitively of fault value
 - Comparison of two DFA schemes with these data



Giraud's mono-bit

- Need a single bit fault injection on byte before the last round of the AES
- Success rate of 97% with 3 pairs of Correct/Faulted cipher text
- Only 3 bytes correspond with this statement
 - Bytes 1,6 and 14
- 13 bytes are mono-bit occurrence close to 80%
 - Correct/Faulted cipher text needed increases
- 3 bytes close to 65% or above 50%
 - Not the most efficient schemes



Roche et al. DFA

- Need constant fault injection
- 3 pairs of Correct/Faulted cipher texts to have a success rate of 90%
- With our data:
 - 9 bytes need 6 or less pairs
 - 4 byte need at least 15 pairs
- More data needed to succeed compared to Giraud
- Fault model less constraining



Simplification of an existing DFA

- Byte-wise analysis of the error injected
- Equation of the AES's last round for the correct and faulted ciphertext:

$$C = K10 \oplus SB(M9)$$

$$D = SB(M9 \oplus e) \oplus K10$$

- The equation of the error is:

$$e = SB^{-1}(C \oplus K10) \oplus SB^{-1}(D \oplus K10)$$

- For each pairs:
 - Computation of e for all possible $K10$
 - Construction of an error table



Simplification of an existing DFA

- $\{$
- $\{$
- f

	K10 hypothesis k				
Realization i	'0x00'	'0x01'	'0x02'	...	'0xFF'
0	$e_{0,0}$	$e_{0,1}$	$e_{0,2}$...	$e_{0,255}$
1	$e_{1,0}$	$e_{1,1}$	$e_{1,2}$...	$e_{1,255}$
2	$e_{2,0}$	$e_{2,1}$	$e_{2,2}$...	$e_{2,255}$
...

ct and

- The equation of the error is:

$$e = SB^{-1}(C \oplus K10) \oplus SB^{-1}(D \oplus K10)$$

- For each pairs:
 - Computation of e for all possible $K10$
 - Construction of an error table



Simplification of an existing DFA

- Only one column correspond to the right key hypothesis
- Visual discrimination between right and false hypothesis
- Easy to identify pattern from random value

- Only 3.5 faulted text with repeatability of 50%
 - More efficient than two previous attack schemes
 - Convenient for fault with distinctive pattern or low repeatability



Simplification of an existing DFA

- Only
- Visual
- Easy

Realization i	K10 hypothesis k					
	'0x00'	'0x01'	...	'0xCD'	...	'0xFF'
0	'0x63'	'0x61'	...	'0x02'	...	'0x15'
1	'0xB2'	'0x0A'	...	'0x06'	...	'0x59'
2	'0x0C'	'0xBF'	...	'0x02'	...	'0x1E'
...
158	'0x51'	'0xFF'	...	'0x06'	...	'0x1A'
...
3,578	'0xF2'	'0x49'	...	'0x08'	...	'0x82'
...
10,000	'0x09'	'0x3B'	...	'0x0A'	...	'0x33'

by hypothesis
se hypothesis

- Only 3.5 faulted text with repeatability of 50%
 - More efficient than two previous attack schemes
 - Convenient for fault with distinctive pattern or low repeatability



Fault injection

- With large spot size ($125\mu\text{m} \times 125\mu\text{m}$)
 - Bit-flip fault model observed
 - Bit set/reset observed too
 - Unexpected
- Metal fills act as shutter on the laser beam
- Single-bit injected thanks to the metal coverage
- Laser injection
 - Data dependent
 - Time dependent



Exploitation of the data with DFA

- **Efficiency with high repeatability**
 - Giraud and Roche's DFA are not the most efficient
- Simple application of a DFA proposed
 - More efficient with low repeatability
 - Exploit fault injection pattern



Thank you for your attention

Questions?